

### Threshold and weighted-distance methods: a combined multiscale approach improves explanatory power of forest carabid beetle abundance in agricultural landscape

Benjamin Bergerot, Pierre-Gilles Lemasle, Hugues Boussard, Julie Betbeder, Olivier Jambon, Romain Georges, Solene Croci, Françoise Burel, Jacques Baudry

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- multiscale approach improves explanatory power of forest 2
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- Benjamin Bergerot<sup>1</sup>, Pierre-Gilles Lemasle<sup>1</sup>, Hugues Boussard<sup>2</sup>, Julie Betbeder<sup>3,4</sup>, 5
- Olivier Jambon<sup>1</sup>, Romain Georges<sup>1</sup>, Solène Croci<sup>5</sup>, Françoise Burel<sup>1</sup> & Jacques 6
- Baudry<sup>2</sup> 7
- 9 <sup>1</sup> Univ Rennes, CNRS, ECOBIO - UMR 6553, F-35042 Rennes, France
- 10 <sup>2</sup> INRAe, UMR BAGAP, F-35042 Rennes, France
- <sup>3</sup> Forêts et Sociétés, Univ Montpellier, CIRAD, F-34398 Montpellier, France 11
- <sup>4</sup> Ecosystems Modelling Unity, Forests, Biodiversity and Climate Change Program, 12
- Tropical Agricultural Research and Higher Education Center (CATIE), Turrialba, 13
- Cartago, Costa Rica 14
- <sup>5</sup> CNRS, Université Rennes 2, UMR 6554 LETG, F-35043 Rennes, France 15
- 17 Correspondence: Benjamin Bergerot, Tel. + 33 223235616
- 18 Email: benjamin.bergerot@univ-rennes1.fr
- 19 Address: UMR CNRS 6553 ECOBIO, Université de Rennes 1, Bât 14B, porte 117, Avenue du
- 20 Général Leclerc, 35042 Rennes Cedex, France
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33	Abstract
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35	Context. To analyze the scales at which landscape structure influences ecological processes, two
36	approaches with different underlying ecological assumptions exist; the usual threshold method and
37	the weighted-distance method.
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39	Objectives. We used abundance of species to test if the combination of weighted-distance and
40	threshold approaches improves the explained variance of landscape metrics.
41	
42	Methods. We developed a workflow using the two approaches to calculate metrics computed at
43	multiple scales. The latter was developed using weighted metrics based on different weighted-
44	distance functions, and one metric could be selected for more than one spatial scale. Then, we tested
45	the explained variance of species distribution (the activity-density of Abax parallelepipedus) by
46	these two approaches applied independently and then together in modeling a specific ecological
47	response.
48	
49	Results. The combination of metrics computed at multiple scales calculated by both weighted-
50	distance and threshold method improved the predictive performance of the models. More precisely,
51	adding metrics derived from the weighted-distance method to the threshold method significantly
52	increased the explained variance when using the same environmental variables. The mean R <sup>2</sup> values
53	of the selected model for the threshold method was $0.34\pm0.10$ , $0.49\pm0.11$ with the weighted-
54	distance method, and reached 0.71±0.07 with the two methods combined. These results demonstrate
55	the importance of combining metrics using the weighted-distance method and the threshold method.
56	In addition, activity-density was better explained by metrics selected at multiple scales.

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58	Conclusions.	This study his	ghlights th	ne importance	of combining	threshold and	weighted-distan	ce

method at several scales to improve the explanation of ecological responses based on species

abundance.

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62 Keywords: Abax parallelepipedus, multiscale approach, weighted distance, landscape metric

#### Introduction

Many studies aim to elucidate the scale at which environmental variables explain the
abundance and diversity of species (Jackson and Fahrig 2015; Chandler and Hepinstall-Cymerman
2016). To incorporate landscape effects in models and the scale at which landscape effects occur,
landscape metrics are generally computed within buffers around sampling points (Miguet et al.
2016). As the evidence for a relation between the scale of effect and movement (Desrochers et al.
2010; Stuber et al. 2018), the buffers tend to be circular when there is no a priori information about
the movement capacity of species in the studied landscape. Metrics are calculated at different scales
according to the known or estimated dispersal abilities of species (Bertrand et al. 2016; Serckx et al.
2016).
To characterize landscape structure within buffers, maps of relevant landscape elements are
required (Burel and Baudry 2003). Based on landscape ecology theory (Burel and Baudry 2003;
Tscharntke et al. 2012), landscapes have two main components: composition and configuration
(Fahrig et al. 2011). Composition defines the proportion of different landscape elements, while
configuration represents spatial organization of these elements. In each buffer, landscape metrics
are then computed using the composition or configuration of landscape features (e.g., Bertrand et al.
2016). The final step defines the "best" scale at which the effect of landscape metrics on
biodiversity is highest based on model selection processes and criteria based methods (e.g.,
correlation coefficient, regression slopes, Akaike Information Criterion, model averaging or
posterior probability; Burnham et al. 2011; Jackson and Fahrig 2015; Stuber and Gruber 2020).
The problem with this approach is that most landscape metrics are scale dependent and
often multi-scaled (Wu 2004; Ostapowicz et al. 2008; Cushman et al. 2008; Stuber and Gruber
2020), which might influence the results (Miguet et al. 2016). There is no single adequate scale for
all landscape metrics, with wrong scale identification generating misleading results. Consequently,
an optimal relation between ecological processes and landscape metrics is still being sought in
landscape ecology (Jackson and Fahrig 2015). This issue has led to the emergence of multi-scale

methods (Mayor et al. 2009; McGarigal et al. 2016) used to measure the different spatial scales at which relations between landscape metrics and ecological processes are the most meaningful (Gaucherel et al. 2007; Martin and Fahrig 2012; Miguet et al. 2017; Egerer et al. 2018; Remon et al. 2018).

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Among the multi-scale analytical methods, two main approaches stand out that are based on very different underlying biological assumptions: the classical threshold-based method and the weighted-distance method (Jackson and Fahrig 2015; Miguet et al. 2016, 2017). The threshold method is based on the computation of landscape metrics, and tests the relation between metric and biodiversity variables using a statistical model at a variety of separate scales. This approach aims to identify the scales at which the relation is meaningful. The main issue with this method is that it assumes that the landscape metric has a constant effect up to the edge of the buffer, where it then falls to zero (Miguet et al. 2017), which is biologically unrealistic (Jackson and Fahrig 2015). This issue has led to the recent investigation of weighted-distance methods. These methods assume that the landscape affects ecological process according to distance, following a predefined function (Miguet et al. 2016, 2017). Computed landscape metrics are, thus, distance dependent from the sampling site where the ecological response is measured. The distance weighted landscape variables are obtained by weighting the spatial distribution of each metric by a decreasing function of the distance from the point where the biological response is measured. However, this approach remains primarily theoretical and under development; yet, recent developments in computing yield very promising results (Peterson et al. 2011; Chandler and Hepinstall-Cymerman 2016; Miguet et al. 2017; Remon et al. 2018).

In this paper, we present a new workflow approach by combining landscape metrics computed at multiple scales using the weighted-distance method and the more classical threshold method. More precisely, we propose a general framework and reuse existing methodological tools in order to adapt it to a plurality of ecological data. Specifically, we tested various metrics known to affect the activity-density of a forest specialist carabid species, *Abax parallelepipedus*, and we

calculated the metrics using: i) the threshold method, and ii) the weighted-distance method and iii) the threshold method combined with different weighted-distance functions. We compared the results obtained using the metrics calculated only on the basis of the threshold method, the metrics calculated only on the basis of the weighted-distance method, and the mix of the two.

A number of studies have been previously conducted on *A. parallelepipedus* (Work et al. 2011; Davies and Asner 2014; Müller et al. 2014), particularly in our study area (Charrier et al. 1997; Petit and Burel 1998a; Betbeder et al. 2015). In this study, we analyze if landscape metrics calculated by the combination of the weighted-distance method and threshold method at multiple scales could better explain the ecological response of *A. parallelepipedus* density-activity than the threshold-based method or weighted-distance method alone (Jackson and Fahrig 2015; Miguet et al. 2016, 2017). We know that *A. parallelepipedus* prefers forest habitat and hedges (Niemela 2001; Davies and Pullin 2007; Roume et al. 2011). Therefore, we expect that heterogeneity indices (Niemelä et al. 1992; da Silva et al. 2008) and the micro-climatic effects of the woody elements (Forman and Baudry 1984; Vannier et al. 2011; Baudry and Burel 2019) will influence carabid density activity.

#### Methods

133 Study Area

This study was conducted in Britany, Western France (Fig. 1A), in the ZAA (Zone Atelier Armorique), which is a French Long Term Ecological Research site (LTER, Fig. 1C). The ZAA is bordered by the sea (48° 36' N, 1° 32' W), and the climate is of oceanic temperate type, with mild winters. The area is mainly agricultural, composed of small fields separated by a hedgerow network called "bocage" (Baudry et al, 2000). Annual crops in this area are winter cereals and maize. In this area, carabids are a key biodiversity component of long-term studies (Baudry and Burel 2019).

#### Biological model sampling

A. parallelepipedus is a nocturnal, polyphagous and flightless forest carabid of medium size. It is often a dominant species in deciduous forest communities (Loreau 1985, 1990; Fournier and Loreau 1999). Its annual period of adult activity, from April to October, is one of the longest for carabid beetles, and this species is characterized by a continuous reproduction so that hibernation can be withstood by both adults and third larval instars (Loreau 1985). A. parallelepipedus has a great longevity as some individuals have been found to be at least four years old in the field (Loreau 1990). A. parallelepipedus is a slow-moving species and is mostly carnivorous. It prefers woody habitats, such as woodlots and hedgerows with a high density of tree vegetation and connectivity of hedgerow network (Charrier et al. 1997; Petit and Burel 1998a). It prefers fine grain hedgerow networks (Vannier et al, 2011). This species is an efficient natural control agent of slugs in agricultural environments, particularly in fields bordered by hedges (Symondson and Liddell 1993; Symondson 1994).

A. parallelepipedus were sampled from 30 hedgerows in 2017 (Fig. 1C) using pitfall traps (i.e.,

A. parallelepipedus were sampled from 30 hedgerows in 2017 (Fig. 1C) using pitfall traps (i.e., plastic pitfall traps containing water, salt, and soap). A sample consisted of three pitfall traps placed three meters apart per hedgerow. This method was easy to implement and produces high capture rates (Luff 1975; Spence and Niemelä 1994). Traps were set up three times in 2017 (May 9, June 6, and August 29) and were left open for 14 days. Catches by pitfall traps depend on both population density and activity (Thomas et al. 1998), therefore, sampling is a measure of activity-density. Activity-density is calculated as the mean value of catches in the three pitfall traps over the sampling period. We selected the 30 hedgerows based on specific criteria. Specifically, they had to be: (1) in landscape contexts covering a gradient of grain values (described in the metric section), (2) at least 50 m long (to ensure that individuals sampled every 14 days come from this hedgerow), (3) at least 400 m from another sampled hedgerow (to ensure the ecological independence of sampling sites), and (4) with oak as the dominant tree species.

Maps

We used two raster maps with a resolution of 5 m × 5 m to calculate landscape metrics (Online Resource 1). A preliminary map that was defined by 11 land use categories (Table 1) was obtained by the photo-interpretation of aerial photography generated by LETG (Littoral, Environnement, Télédétection Géomatique laboratory, Rennes) in 2017. These categories were selected following the preferences of the species according to the literature (Loreau and Nolf 1993; Symondson 1994; Charrier et al. 1997; Petit and Burel 1998a,b; Fournier and Loreau 1999; Pichancourt et al. 2006). A second, wooded features map (hedgerows, woodlots), was used to calculate the grain metric (i.e., MD metric, described in the metrics section). This map represented the canopy cover of trees extracted from aerial photographs by KERMAP (a private company) in 2016.

Metrics

Seven classes of landscape metrics (Table 2) led to the calculation of twenty-four metrics. They were computed using CHLOE software (Boussard and Baudry 2017). Specifically, we calculated (1) abundance of the different types of land cover (NV), which represent eleven metrics (each representing a type of land use); (2) abundance of the interfaces between the woods and the other land cover types (NC), which represent eight metrics (each representing a possible interface with woods); (3) number of heterogeneous types of adjacent pairs of pixels (NC hete), a landscape-level metric; (4) land cover diversity measured from the Shannon diversity index (SHDI), a landscape-level metric; and two landscape-level heterogeneity metrics computing Shannon Diversity based on the number of pixel pairs of different types; specifically, (5) HET, which is the overall heterogeneity; (6) HET-Frag, which is the heterogeneity of dissimilar interfaces; and (7) a grain metric (MD), a landscape-level metric representing the micro-climatic effects of the woody elements. These seven class of metrics were selected according to the ecological preferences of *A. parallelepipedus*. NV metrics is a composition metric and NC metric is a mixture of composition

and configuration metric as it depends on how the land covers are distributed. These metrics were selected knowing the influence of habitat and edge effect on carabids (Niemelä 2001; Davies and Pullin 2007; Roume et al. 2011). NC metric is a mixture of composition and configuration metric because it depends on how the land covers are distributed (Niemelä 2001; Davies and Pullin 2007). The SHDI (used to measure the land cover diversity) and the two heterogeneity indices (HET and HET-Frag, used to display the diversity of dissimilar interfaces) characterize the landscape heterogeneity, which influences carabids (Niemelä et al. 1992; da Silva et al. 2008). The grain metric (MD) represents micro-climatic effects of the woody elements, which are known to influence the activity of the carabids. As mentioned in Betbeder et al. 2015, the grain metric integrates both the density of hedgerows and the shape of the meshes of the network measured as the mean distance to hedgerows (Forman and Baudry 1984, adapted by Vannier et al., 2011 for hedgerow networks). Hedgerow networks have many discontinuities and, therefore, do not comprise "closed meshes" (the space between hedgerows). The size of these meshes controls the local climate by reducing wind speed and capturing the energy from the sun. We used the grain of the imagery as a surrogate of these meshes to characterize the more or less open character of the landscape. Hedgerow density alone is not sufficient as for similar densities the spatial distribution of hedgerows, thus the grain metric, may be different.

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#### Threshold method

The threshold method computes landscape metrics within buffers of different radii centered on the same sampling point (Table 3). Metrics were computed in 35 nested concentric circles, at 50 m increments from 50 to 1750 m (radius), following the recommendations of Jackson and Fahrig (2015). Although *A. parallelepipedus* shows a preference for forest habitats, we do not know the dispersal pattern of the individuals, we thus used circular vector buffers. Previous studies show that the area prospected by an individual varies according to the habitat, and the dispersal power of individuals was found to be low—on average 1 m per day and about 2 m per day for the most active

males (Charrier et al. 1997; Marcus et al. 2015). The estimated life span is one to two years for large carabid beetles (Coulon et al. 2011). Therefore, we can consider that with 250-280 days of activity per year (from April to November) and an average displacement of 1 m per day (or 2 m in exceptional cases for males), a buffer of 1750 m is able to capture all the displacements of the individuals, on a theoretical high range. Beyond this distance, we assumed that woody elements do not influence the activity-density of *A. parallelepipedus* (Petit and Burel 1998b; Betbeder et al. 2015; Bertrand et al. 2016). Care must be paid to the quantity of empty pixels (i.e., with NA values, pixels outside the map) in a buffer for the calculation of metrics. To calculate metrics at 1750 m (the largest buffer size), the proportion of empty pixels in our study varies between 0 and 40.36%. Only two sites have a proportion of empty cells greater than 30%, and 17 sites have a proportion less than 10%.

#### Weighted-distance method

To compute the metrics for this method, a weight was applied to the pixels in the analyzed window (i.e., a circular window representing the buffer), depending on the weighting-distance function applied (Table 3). Thus, the threshold method is a special case of the weighted-distance method (i.e., where the weight applied with distance was constant up to a threshold, at which point it dropped to 0). As in other studies (Miguet et al. 2017), we did not know what the best function was to characterize the distribution of individuals. Therefore, we chose four types of common ecological functions (Table 3) to test different weights placed on landscape features, divided into two main groups. We used functions that gave more weight to a local landscape effect (i.e., decreasing functions, Hill et al. 1996; Stevens et al. 2010; Remon et al. 2018) than to a distant landscape effect (i.e., Gaussian functions, Chandler and Hepinstall-Cymerman 2016). Decreasing functions can take different forms, so we used the linear decreasing curve, assuming only a distance effect, and the common decreasing curve, a variant shape giving slightly more weight to nearby landscape elements. We also used two Gaussian functions that gave different weights to a landscape (i.e.,

according to the distance at which the species may need its non-immediate environment such as meadows to complete all or part of its life cycle).

#### Statistical and modeling approach

Two steps were required to analyze the data: the metric and scale identification, and then the run of the global model. We ran three independent replicates, one using metrics as variables calculated with the threshold method only, one using metrics as variables calculated with the weighted-distance method only, and one using metrics as variables calculated with the combination of the two. All statistical analyses were performed in R version 3.6.0 (R Core Team 2017). These steps are detailed below.

#### Step 1. Metric and scale identification

The first step is to identify (but not yet select) at which scales the explanatory variables (metrics) can be related to the activity-density of *A. parallelepipedus*. Since the distribution of data, as well as the shape of the relation between a predictor and its dependent variables can be unknown, a non-parametric modelling approach using a Multivariate Adaptive Regression Spline (MARS) was used (Friedman 1991). MARS models allow the non-linearity of a relation to be captured in a simple form by partitioning the space of a variable into several knots, and assigning a linear model in this space (Friedman 1991). For each metric, we fit a MARS model between the activity-density of *A. parallelepipedus* (i.e., 30 sampling points; Fig. 2, Step 1.1) and the metrics at each scale for each method (i.e., threshold method only, the weighted-distance method only, and the combination of the two). MARS models were fit using the R package 'earth' (Milborrow 2011). For each MARS model, R<sup>2</sup> was calculated (Step 1.1). Then, using GAMs (General Additive Models), we fitted the relation between R<sup>2</sup> obtained from MARS and scales (Fig. 2, Step 1.2). Finally, we identified the

best scales (i.e., all scales with peak values, not only the highest peak, represented by red stars in Fig. 2, Step 1.3).

Step 2. Global model

To select the variables computed at multiple scales explaining the activity-density of *A*. parallelepipedus, since there could be many uninformative combinations of metrics at different scales, we used LASSO optimization algorithm (Least absolute shrinkage and selection operator) for variable selection and regularization (Tibshirani 1996). There are many advantages in using LASSO method. First, it can provide a very good prediction accuracy, because shrinking and removing the coefficients can reduce variance without a substantial increase of the bias. This is especially useful when you have a small number of observations and a large number of features. LASSO shrinks uninformative coefficient estimates to zero, which improves both model prediction and interpretability. Moreover, LASSO is suited to perform variables selection on collinear variables.

To fit the global model, metrics at their best scales were used as predictors of the density-activity of *A. parallelepipedus*. To test our hypotheses, we built three models: (1) one with the metrics obtained from the threshold method only, (2) one with the metrics obtained from the weighted-distance method only, and (3) one with the metrics from both the threshold method and weighted-distance method. LASSO models were fit using the R package 'glmnet' (Friedman et al. 2011). The R² obtained by LASSO selection procedure for each of the three sets of variables (i.e., those identified using the threshold method, the weighted-distance method, and the combination of the two) were bootstrapped 1000 times to obtain a mean value and a standard deviation. Residuals of the different models were checked to make sure that there was not evidence of residual spatial autocorrelation. The results are represented using partial dependence plots (Friedman 1991). These plots show how the selected predictors in the selected model influenced the dependent variable

(Greenwell 2017) and whether the relations between the dependent variables and selected predictors were linear, monotonic, or more complex.

#### Results

298 Step 1

Considering the seven defined class metrics, a total of 24 metrics were calculated because the NV metric is subdivided into 11 (one for each land use type), and the NC metric is subdivided into eight (eight different interfaces with woods are referenced in our landscape). Considering the 35 spatial scales, 840 variables for each method were thus calculated. In total, 4200 metrics were computed in Step 1: 840 for the threshold method and 3,360 for the weighted-distance method (i.e., 840 for each of the functions referenced in Table 3). For the threshold method, out of 840 possible variables, 76 were selected. For each of the 24 metrics, the average number of scales selected was 3.17±1.04. For the weighted-distance method, out of 840 possible variables for each function, respectively 55, 61, 49 and 58 variables were selected for the Decreasing Curve, Decreasing Linear, Gaussian and Adjusted Gaussian functions. The average number of scales selected was respectively 2.14±0.98, 2.39±1.21, 2.01±0.91 and 2.26±1.23 for the Decreasing Curve, Decreasing Linear, Gaussian and Adjusted Gaussian functions.

#### Step 2

The mean R² value (± standard deviation) of the three models using LASSO were 0.34±0.10 with the metrics derived from the threshold method only, 0.49±0.11 with the metrics derived from the weighted-distance method only and 0.71±0.07 with the metrics derived from the weighted-distance method and threshold method. The metrics selected using LASSO procedure were mainly related to (1) interface metric between wood and dirt-roads (NC 1–12) at 1200 m for the threshold method only (Fig. 3A) and 1500 m for the weighted-distance method only and the combination of

weighted-distance and threshold method (Fig. 3B); (2) landscape density metrics (NV 16: meadow density) at 550 m and 1750 m for the threshold method only (Fig. 3C) and 950 m for the weighteddistance method only and for the combination of weighted-distance and threshold method (Fig. 3D); (3) dirt-road density (NV 12) at 1350 m for the combination of weighted-distance and threshold method only (Fig. 3E). Overall, for both the threshold method only, the weighted-distance method only, and the combination of weighted-distance and threshold method, metrics were selected at different scales (i.e., from an intermediate scale of 550 m to 1750 m). The interface metric, NC 1-12, had the highest relative importance in models and greatly improved the explanation of A. parallelepipedus density-activity when it was calculated using weighted-distance method (decreasing curve, Fig 3B). Among the three selected metrics, two metrics were found in all of the final models (NC 1-12 and NV 16). The main difference was the method used and the scale selected (Fig. 3). For each model, the selected metrics are summarized in Figure 4. For the threshold method only, the partial dependence plots (Fig. 4A and B) showed dissimilarities for the density of meadows (NV 16). At the local scale (550 m, Fig. 4A), the activity-density decreased and reached a plateau, whereas it increased and reached a plateau at the landscape scale (1750 m, Fig. 4B). For the combination of weighted-distance and threshold method, the density of meadows (NV 16; Fig. 4D) showed similarities to the weighted-distance method only (i.e., after the activity-density decreased and reached a plateau, Fig. 4H) but used a decreasing linear function. For the combination of weighted-distance and threshold method, the dirt-road density (NV 12; Fig. 4E) was selected at 1350 m. The activity-density decreased and reached a plateau. The partial dependence plots of the selected metrics highlight some similarities between the three methods. More specifically, these plots show the influence of the interface between wooded features (mainly hedgerows) and dirt-road (i.e., NC 1–12) on the activity-density of A. parallelepipedus. The

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interface between wood and dirt-road shows that, after a plateau was reached, activity-density

increased (Fig. 4C, Fig. 4F and Fig. 4G) when using a decreasing curve function at 1500 m for the

combination of the weighted-distance method and the weighted-distance method only (Fig. 4F and 4G respectively), and 1200 m for the threshold method only (Fig. 4C).

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#### **Discussion**

We tested the power of the combination of the weighted-distance method and thresholdmethod to obtain landscape metrics computed at multiple scales to explain a specific ecological response. Compared to the threshold-based method only, as shown by Miguet et al. (2017), we demonstrated that using landscape metrics computed at multiple scales (i.e., the same metric could be selected at different scales) with the weighted-distance method better explained the densityactivity of A. parallelepipedus. The mean R<sup>2</sup> of the model explaining A. parallelepipedus activitydensity using metrics identified with metrics computed at multiple scales using threshold method only was 0.34±0.10 and was lower than previous studies conducted at the same study site (around 0.5, Betbeder et al. 2015). However, Betbeder et al. (2015) used radar SAR (Synthetic Aperture Radar) image-based variables to characterize the internal structure of hedgerows. The analyses performed using metrics computed at multiple scales identified through the weighted-distance method yielded better results with a mean R<sup>2</sup> equal to 0.49±0.11. By combining metrics computed at multiple scales using both the threshold method and the weighted-distance method, we greatly improved the variance explained of A. parallelepipedus activity-density and reached 0.71±0.07. The high R<sup>2</sup> values is attributed to the use of weighted metrics at different spatial scales, which were tested individually according to the distance functions. No published study or ecological hypothesis supports that each metric computed at multiple scales should have the same distance function, which our results confirm (Peterson et al. 2011; Chandler and Hepinstall-Cymerman 2016; Miguet et al. 2017; Remon et al. 2018). More precisely, our statistical and modelling processes only retained the functions and the scales that best explained the ecological response (Step 1, Fig. 2). Interestingly, two of the three selected metrics were the same. The main difference was the use of metrics using weighted-distance functions and multiple scales, which greatly improved metric

importance. Out of the three metrics selected by the combination of the weighted-distance method and threshold method, two were computed using decreasing linear and curve functions. This result further emphasizes the important contribution of the metrics computed at multiple scales using weighted-distance method to the more 'classical' threshold method. The improvement of models through computing metrics using the decreasing linear and decreasing curve functions supported the results of Miguet et al. (2017) who evaluated four species, including a carabid (i.e., *Pterostichus melanarius*).

Interfaces including wood (NC 1–12) strongly influence the distribution of *A*.

parallelepipedus (Charrier 1997; Niemela 2001; Roume et al. 2011). The activity-density of *A*.

parallelepipedus increased with the importance of the interface between wood and dirt-road at a large scale when using a decreasing curve. To the best of our knowledge, previous studies have not included this specific interface with wood in their analyses, nor have they included a decreasing curve to calculate this metric (Duflot et al. 2014; Bertrand et al. 2016). This result highlighted the role of dirt roads adjacent to wooded elements as potential ecological corridors in fragmented landscapes (Burel 1989; Vermeulen 1993, 1994; Niemela 2001; Pichancourt et al. 2006) and could suggest that dirt roads bordered by woody habitats could provide high quality corridors for *A*.

parallelepipedus (Charrier et al. 1997).

Metrics computed at multiple scales based on landscape element density for the combination of the weighted-distance method and threshold method also showed expected results. The amount of meadows (NV 16) is negatively related to *A. parallelepipedus* density-activity at < 950 m. The negative relation of this landscape element might be attributed to the high specialization of *A. parallelepipedus* for woody elements and the sensitivity of this species to fragmentation (Petit and Burel 1998b). Interestingly, for metrics using threshold method alone, the density of meadows (NV 16) had a positive effect at broader scale (1750 m). This result suggests that meadows could act as an ecological filter (e.g. against herbicides) when they are adjacent to hedgerows (Vermeulen 1993, 1994; Niemela 2001; Pichancourt et al. 2006), particularly in agricultural landscapes, such as our

study area (Fournier and Loreau 1999; Aviron et al. 2018). These results clearly support the necessity of integrating multiple spatial scales for one or more variables in models to understand ecological processes (Niemelä et al. 1992). In this study, spatially, we worked on raster maps where the resolution is constant ( $5 \times 5$  m). Therefore, when the metrics were calculated in a buffer, the number of pixels increased, so the spatial resolution did not change. Since our resolution was constant whatever the spatial scale considered. The metrics were then comparable. However, due to lack of information, we did not take into consideration the temporal dimension and the stationarity of landscape metrics (Fortin et al. 2003; Remmel and Csillag 2003) that may influence the conclusions of this study. More generally, our results suggested that the surrounding environment were the main factors explaining *A. parallelepipedus* density-activity (5/8 metrics were selected at distances  $\leq 1350$  m). This result is often sought in landscape ecology, because landscape composition and heterogeneity represent the main drivers of species and diversity distributions (Batary et al. 2011; Vasseur et al. 2013; Kennedy et al. 2013; Shackelford et al. 2013).

One limitation of this study was that sampling did not cover the full period of activity of *A*. *parallelepipedus* (Pichancourt et al. 2006; Niemelä et al. 1992; Magura 2000), which would have provided a better understanding of how this species is distributed in the landscape. Another issue may lie in the automated selection process of LASSO variables, which may hide common metrics used to explain ecological processes. As for example the grain metric MD (Forman and Baudry 1984; Vannier et al. 2011), which has been demonstrated to explain *A. parallelepipedus* density-activity (Betbeder et al. 2015), but was not found in our selected metrics. Finally, our ecological results are based on small sample sizes, and thus should be interpreted with caution. But nevertheless, the framework and workflow can be useful across systems and taxa when sample sizes are appropriate for individual studies' goals.

To improve the results, several solutions can be considered. For the sake of simplicity, we have also considered in Step 1 the identification of scale of interest on a variable by variable basis. This method ignores the potential for covariates to be synergistically effected by others. Although

our final results show a strong explanatory power of the models, the models could be improved in this way. Regarding the weighted-distance analysis, first, it was limited when not all scales were available. Specifically, when the scale was changed, the maximum distance in the metrics using weighting functions also changed, but did not generate the best scale for the effect (i.e., the weight given by the function). Miguet et al. (2017) overcome this problem by deducing a cumulative distance function from the weighting function, which corresponded to "the proportion of the landscape weight that is modelled within each distance". This approach made it possible, for example, to determine at which scale 50% of the landscape effect is contained, with the decision threshold being left to the experimenter. Second, even when our results generated high R<sup>2</sup> values and support known results based on the published literature for A. parallelepipedus, we used four a priori weighted-distance functions (decreasing linear, decreasing curve, Gaussian, and adjusted-Gaussian functions). Other ecological functions should be tested according to the species (Remon et al. 2018). It would also be interesting to test these methods using variables derived from remotely sensed data that reflect the internal structure of landscape elements (such as hedgerow structure and crop phenology, Betbeder et al. 2015). Third, the interpretation and extrapolation of the results in other studies must consider the metrics used. Indeed, metrics could be very sensitive to compositional changes and when sites with different compositions are compared or lumped, differences may be driven by a subtle imbalance in the composition differences (e.g., inclusion of an additional minor land cover category) rather than an actual ecological difference (Fortin et al. 2003; Cushman et al. 2008). Moreover, using more than two categories increases the possible configurations beyond a reasonable ability to enumerate all possibilities and thus making comparisons among maps or sites challenging (Boots 2003; Csillag and Boots 2005; Turner 2005). Caution should also be taken in the consideration of non-linear relations between metrics with changes to composition and configuration (Hargis et al. 1998). Changing the extent, the grain, the composition and/or the configuration may result in a change in the metric value. Thus, correlating metrics with physical measurements may be biased, particularly if the underlying structures are not

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properly controlled for. Finally, in this study, while it might be interesting to implement all calculated metrics at once in a LASSO model, we did not consider this option. Indeed, we calculated 24 metrics at 35 scales following different calculation modes (landscape metrics computed using threshold and weighted-distance method with 4 different functions) and we obtained 4200 metrics (840 per mode). Although LASSO is a robust method when presenting a dataset with a small number of rows compared to a large number of variables (Tibshirani 1996), it does not work with so many variables. However, as soon as the number of explanatory variables is reduced, LASSO method is particularly interesting and Steps 1.2 and 1.3 can be avoided to select the best scales.

#### **Conclusions**

This study demonstrated the utility of combining metrics computed at multiple scales using threshold and weighted-distance method at several scales to calculate variables and explain ecological responses of species, such as activity-density. This study highlights with an *in situ* experiment the promising advances offered by metrics computed at multiple scales using weighted-distance method in combination with more traditional metrics computed at multiple scales using threshold method. Compared metrics computed at multiple scales using threshold method or weighted-distance method separately, the combination of these two methods significantly improved explained variance of the activity-density of *A. parallelepipedus*. Combining metrics computed at multiple scales using the two methods to calculate the explanatory variables results in a coefficient of determination of the final model of 0.71. This result confirms our hypothesis and the ecological interest of using metrics computed at multiple scales using weighted-distance method to improve the predictive power of explanatory landscape variables in models. Because we tested this approach on a well-known species, its utility for other species must also be explored, such as more generalist species like *Pterostichus melanarius* (Fournier and Loreau 2002; Retho et al. 2008), as well as with other weighted-distance functions and other taxa. Indeed, several functions frequently derived from

475	species dispersal kernels explain the effects of landscape as a function of distance, such as the
476	negative exponential function (e.g., butterflies, Baguette 2003; Remon et al. 2018) and power law
477	(e.g., carabids or birds, Miguet et al. 2017; butterflies, Baguette 2003; Fric and Konvicka 2007).
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695 Figure captions 696 Fig. 1 (A) Location of Brittany in France. (B) Location of Zone Atelier Armorique (ZAAR) in Britany 697 698 (48° 30' N, 1° 34' W). (C) Sampling point locations. The borders of the study area are shown in dark 699 grey in (B); black icons represent the 30 points where carabid beetles were sampled. 700 701 Fig. 2. Statistical and modeling scheme for the step 1 "metric and scale identification" (MARS: 702 Multivariate Adaptive Regression Spline, TM: threshold method, DWM: weighted-distance method, 703 GAM: General Additive Model). For each metric, the model with the highest R-squared (R<sup>2</sup>) 704 represented the best scale. 705 706 Fig. 3. Graphs showing the R<sup>2</sup> values depending on the scale (Fig. 2, Step 1.2) of the five selected 707 metrics. Metric terms: NV i = density of landscape element i, NC i-i = Interfaces i-i, 1 = Wood, 12 = 708 Dirt-roads, 16 = Meadows.

Fig. 4. Partial dependence plots between the activity-density of *Abax parallelepipedus* and the selected metrics using the threshold method (A–C), the combination of weighted-distance and threshold methods (D-F) and the weighted-distance method (G–H). Metric terms: NV i = density of landscape elements i, NC i-j = Interfaces i-j, 1 = Wood, 12 = Dirt-roads, 16 = Meadows.

Online Resource 1: Raster maps of the land use categories and the wooded features.

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Table 1. Percentage of each land cover type in the study area for 2017.

Land cover type	Percentage (%)	
Meadow (16)	30.55	
Maize (7)	21.94	
Cereals (8)	20.85	
Wood (1)	16.64	
Artificial areas (13)	5.14	
Dirt-road (12)	2.03	
Uncultivated (4)	1.06	
Water (2)	1.01	
Other crop (9)	0.63	
Rails road (14)	0.08	
Grass strip (17)	0.08	

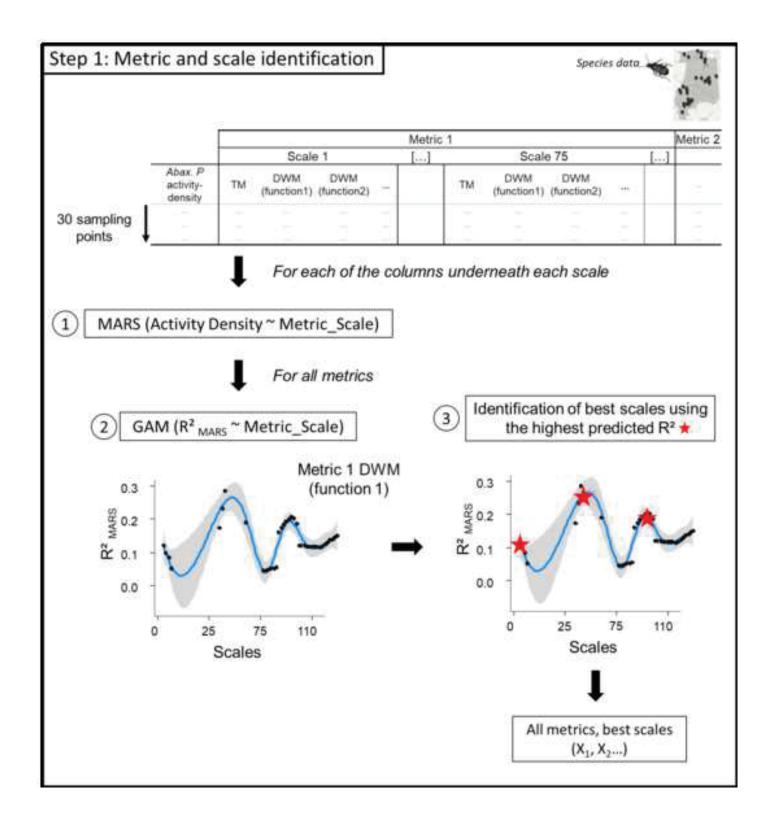
Table 2. Metrics computed with CHLOE software, i represents the elements of a specific land cover type, i-j the interfaces between two elements of a specific land cover type, d represents the distance chosen for the metric calculation, wd represents the weighted-distance function used, n represents the number, p represents the proportion.

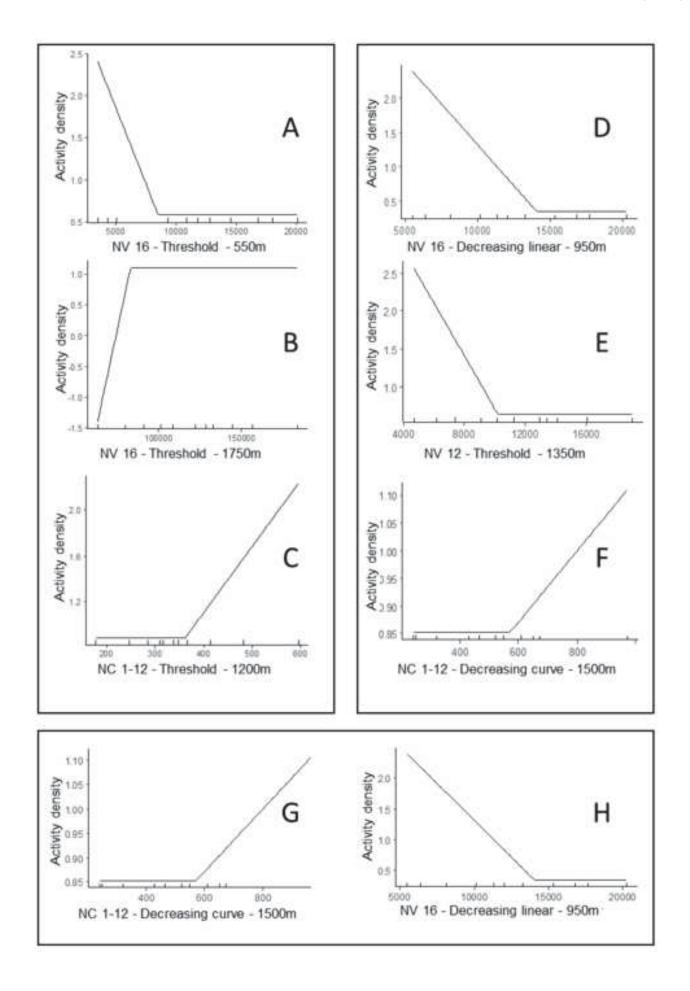
Metric	Description	Formula	Formula
		(Threshold Method)	(Weighted-distance method)
NV i	Number of pixels of class i	n(i)	$\sum wd(i)$
NC i-j	Number of pair values i-j	n(i,j)	$\sum wd(i,j)$
NC-hete	Number of pair values where i ≠ j	$\sum n(i,j)$	$\sum \sum wd(i,j)$
	. ,	with i ≠ j	with i ≠ j
SHDI	Shannon diversity of the land cover	$-\sum p(i) \times \ln(p(i))$	$-\sum p(i) \times \ln(p(i))$
			with $p(i) = \frac{\sum wd(i)}{\sum \sum wd}$
HET	Heterogeneity metric (i.e.,	$-\sum p(i,j)$	$-\sum p(i,j) \times \ln(p(i,j))$
ПЕТ	SHDI for pair values)	$\times \ln(p(i,j))$	with $p(i, j) = \frac{\sum wd(i, j)}{\sum \sum wd}$
HET-frag	Structural heterogeneity metric (i.e., SHDI for heterogenous pair values)	$-\sum_{i \neq j} p(i,j) \times \ln(p(i,j))$	$-\sum p(i,j) \times \ln(p(i,j))$
			with $i \neq j$ and $p(i, j) = \frac{\sum wd(i, j)}{\sum \sum wd}$
MD	The grain metric	$\frac{\sum \min(d, 100)}{n}$	$\frac{\sum wd \times \min(d, 100)}{\sum wd}$

Table 3. Summary of the threshold and the four weighted-distance functions used for the weighted-distance method. Terms and formulae are presented (radius: radius for a given buffer size). The center of the weight pixel window is the sampling point (the lighter the color, the more important the effect is).

Function term	Formula	Effect of a landscape metric (Y axis) according to the distance from the sampling point (X axis). Sampling point is at distance 0.	Pixel Weight (the center of window is the sampling point)
Threshold	radius		
Decreasing Linear	$-\left(\frac{\text{distance}}{\text{radius}}\right)^{3.14} + 1$		
Decreasing Curve	distance $\times \left(\frac{\text{radius}}{\text{radius} \times -\text{radius}}\right) + 1$		
Gaussian	$e^{-\left(\frac{\text{distance}-\left(\text{radius}/_{2}\right)}{\text{radius}/_{4}}\right)^{2}}$		0
Adjusted- Gaussian	$e^{-\left(\frac{\text{distance}-\left(\text{radius}/_{12}\right)}{\text{radius}/_{23}}\right)^2}$		0

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